

A1) Dan needs to give the rock KE such that it will have enough PE to reach the window. Mech E is conserved

A1)

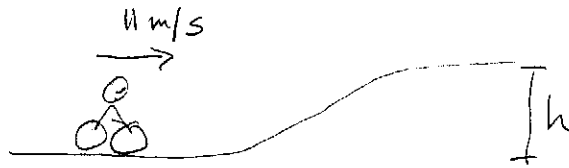
$$E_B = E_T$$

$$\cancel{PE_B} + KE_B = PE_T + \cancel{KE_T}$$

$$\frac{1}{2}mv^2 = mgh$$

$$v^2 = 2(9.8)(2.65)$$

$$v = 2.21 \text{ m/s}$$



A2)

$$m = 50 \text{ kg}$$

$$KE_B = PE_T$$

$$\frac{1}{2}mv^2 = mgh$$

$$\frac{1}{2}(11)^2 = (9.8)h$$

$$h = 6.17 \text{ m}$$

A2) Since she does not have to pedal there must not be any non-conserved forces, so Mech E is conserved. The KE she has will be changed into PE

A3) As Amanda heads down the hill her Mech E is conserved and actually increased by the work she does on the pedals, which only convert a part of her work into Mech E

A3)



$$KE_A + PE_{\Delta h} + W = KE_B$$

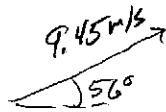
$$\frac{1}{2} m v_A^2 + m g \Delta h + (.85) W_A = \frac{1}{2} m v_B^2$$

$$\frac{1}{2} (50)(11)^2 + (50)(9.8)(5) + (.85)(830) = \frac{1}{2} (50) v_B^2$$

$$v_B = 15.7 \text{ m/s}$$

A4) The vertical velocity of the ball creates KE that will be converted by gravity to PE at the top of its flight.

A4)



$$KE_v = PE_T$$

$$\frac{1}{2} m v^2 = m g h$$

$$\frac{1}{2} (9.45 \sin 56)^2 = (9.8) h$$

$$h = 3.13 \text{ m}$$

A5) The rate that the motor can do work, Power, determines the rate it can move against a resistive force.

A5)

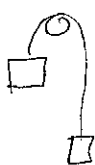
$$P = F v$$

$$75(746) = F(12.5)$$

$$F = 4480 \text{ N}$$

A6) When released the larger mass falls, gravity does work to convert its PE to KE and PE and KE of the smaller mass. Mech E is conserved

A6)



$$PE_{LT} = KE_{LB} + PE_{ST} + KE_{ST}$$

$$M_1gh = \frac{1}{2}M_1V^2 + M_2gh + \frac{1}{2}M_2V^2$$

$$(4)(9.8)(1.5) = \frac{1}{2}(4)V^2 + (2.5)(9.8)(1.5)$$

$$+ \frac{1}{2}(2.5)V^2$$

$$4(9.8)(1.5) - (2.5)(9.8)(1.5) = \left[\frac{1}{2}(4) + \frac{1}{2}(2.5) \right] V^2$$

$$V = 2.60 \text{ m/s downward}$$

A7) When you pull the bow back you store elastic PE which does work on the arrow to give it KE that it uses to move through the air. Mech E is not conserved while moving through the air.

A7)

$$PE_{el} \rightarrow W \rightarrow KE_{fa} \rightarrow KE_{fa} + W_{NC}$$

$$PE_{el} = KE_{fa} + W_{NC}$$

$$\frac{1}{2}kx^2 = \frac{1}{2}mv_f^2 + F_R d$$

$$\frac{1}{2}(370)(.3)^2 = \frac{1}{2}(.035)(12)^2 + F_R(90)$$

$$F_R = 0.157 \text{ N}$$

A8) enough PE_{elast} must be stored in the spring to do the required work against the resistive force

A8)

$$PE_{elast} = W_{NC}$$

$$\frac{1}{2}kx^2 = Fd$$

$$\frac{1}{2}k(.035)^2 = (2.4)(.78)$$

$$k = 3060 \text{ N/m}$$

B1) The gun starts
 PE_{elast} in the bands
 that is converted
 to KE when released
 the vert comp of
 the release velocity
 creates the part
 of the bands KE
 that is converted
 to PE at the
 top of its path.

B1)

$$PE_{el} \rightarrow KE_{End}$$

$$\frac{1}{2} kx^2 = \frac{1}{2} mV^2$$

$$(33)(.14)^2 = mV^2$$

$$V = \sqrt{\frac{33(.14)^2}{m}}$$

$$KE_{vert} = PE_T$$

$$\frac{1}{2} m(V \sin \theta)^2 = mgh$$

$$\frac{1}{2} mV^2 \sin^2 \theta = mgh$$

$$\frac{1}{2} m \left[\frac{33(.14)^2}{m} \right] \sin^2 \theta = mgh$$

$$\sin^2 \theta = \frac{mgh}{\frac{33(.14)^2}{2}}$$

$$\sin^2 \theta = \frac{m(9.8)(1.25)(2)}{33(.14)^2}$$

$$\sin^2 \theta = 37.9 m$$

$$\theta = \sin^{-1} \left[(37.9 m)^{1/2} \right]$$

B2) The elastic
 PE of the spring
 is going to work
 against the resistive
 force.

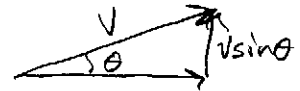
B2)

$$PE_{el} = W_{nc}$$

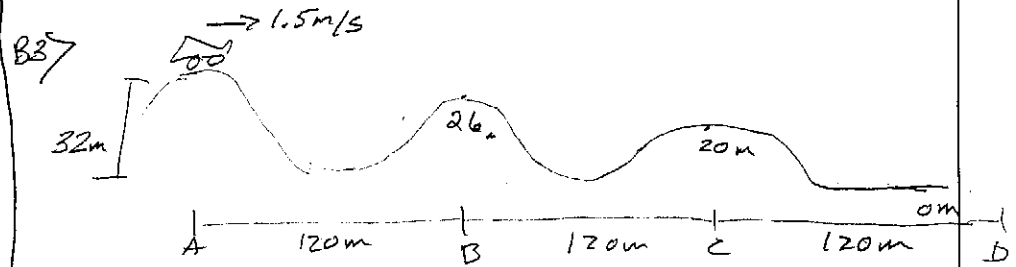
$$\frac{1}{2} kx^2 = Fd$$

$$\frac{1}{2} (270)(.055)^2 = F(75)$$

$$F = 5.44 \times 10^{-3} N$$



B3 > The change of PE to KE allows the train to move through the coaster. Mech E is not conserved.



$$mg = 500N$$

$$KE_A + PE_A \rightarrow W_{AB} + PE_B + KE_B \rightarrow W_{BC} + PE_C + KE_C$$

$$\rightarrow W_{CD} + KE_D$$

$$m = \frac{500}{9.8}$$

$$KE_B \text{ and } KE_C \text{ and } KE_D \geq 0$$

from A to C

$$PE_A + KE_A = W_{AC} + PE_C + KE_C$$

$$mgh_A + \frac{1}{2}mv_A^2 = Fd_{AC} + mgh_C$$

$$500(32) + \frac{1}{2}\left(\frac{500}{9.8}\right)(1.5)^2 = F(240) + 500(20)$$

$$\boxed{F = 25.2 N}$$

check B

$$KE_B > 0$$

$$PE_A + KE_A = W_{AB} + PE_B + KE_B$$

$$mgh_A + \frac{1}{2}mv_A^2 = Fd_{AB} + mgh_B + \frac{1}{2}mv_B^2$$

$$500(32) + \frac{1}{2}\left(\frac{500}{9.8}\right)(1.5)^2 = (25.2)(120) + 500(26) + KE_B$$

$$KE_B = 28.7 J \checkmark$$

B4) The KE shiv has while running will be transferred to PE as he swings upwards. He will have KE until he gets high enough he will only swing to height twice the length of the rope

$$KE_R = PE_T + KE_T$$

$$\frac{1}{2} m v_R^2 = mgh + \frac{1}{2} m v_T^2$$

$$\frac{1}{2} (8)^2 = (9.8)(5.5) + \frac{1}{2} v_T^2$$

$$v_T^2 = -43.8$$

so he never reaches the max height

Zero

B5) explain

B6) a) Colleen uses a force to displace the rope a distance
b) Colleen puts in more work than comes out as mechanical work so the rest goes to Work Non-cons or heat.

B6) $n = 20$ $h = 4\text{m}$ $m = 35.0\text{ kg}$

$d_f = 12\text{m}$ $F = 126.7\text{N}$

a) $W_T = F d n$ $W_T = (126.7)(12)(20)$

$W = 30400\text{ J}$

b) $W_{out} \rightarrow PE_n = mgh(20) = 35(9.8)(4)(20)$

$W_{out} = 27440\text{ J}$

$W_T - W_{out} = W_{NC}$

$30400 - 27440 = W_{NC}$

2960 J